INL Collaboration in Neutron Capture Therapy Research with the University of Missouri

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Overview

- NCT history and research progress
- Description of the INL/MU collaboration and the new MU radiobiological research facility
- Computed and measured neutronic performance of the new single-crystal filtered neutron beam at MU
- Future plans -- Path forward



Boron Neutron Capture Therapy

In situ activation reaction, ¹⁰B(n, α) ⁷Li; releases ionizing energy within volume of single cancer cell:





Boron Neutron Capture Therapy

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INL Advanced Radiotherapy Program

Key Historical Components



Development of advanced software for computational medical dosimetry



Development of advanced methods for medical neutron dosimetry



Research collaboration with University of Washington for development of neutron capture enhanced fast-neutron therapy



Design, construction, and dosimetry support for epithermal neutron beam user facility for neutron capture therapy research at Washington State University



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Synthesis, biochemical analysis and preclinical testing of advanced boron agents for neutron capture therapy

M. F. Hawthorne, et al., *Proc. Natl. Acad. Sci. USA* Vol 91, pp. 3029-3033, April 1994

BNCT is progressing ---- But only slowly in the USA

- "Modern" epithermal trials at MIT and BNL 1994-1999 (BPA) sponsored by US Department of Energy. INL provided key modeling and simulation technologies, experimental beam dosimetry, and analytical chemistry for the BNL trials and has collaborated with others worldwide.
- Epithermal trials at the JRC Petten Facility initiated in 1995 (BSH).
- 20-40 Patients per year in Finland (BPA). Trials continuing since 1999.
- Japanese clinical applications begun in 1968 continue (BPA/BSH).
- Human studies initiated in Argentina in 2005 (BPA)
- Neutron sources have reached high levels of development, and dosimetry is continuously improving. The next advances are likely to require improved boron delivery agents.

The situation in the US has been uncertain since 2006. But the US community is still quietly participating

- University of Missouri-INL Collaboration Improved Boron Agent Development Dosimetry modeling, simulation and validation. New neutron source construction.
- CNEA-INL Collaboration Combined agent studies (BPA-GB10)



University of Missouri International Institute of Nano and Molecular Medicine







Hawthorne, far left, and fellow MU nanotechnology leader Kattesh Katti, PhD, far right, collaborate with colleagues at MU's Nuclear Research Reactor. Frederick Hawthorne, PhD, describes boron's similarity to carbon during a lecture at MU. His discoveries involving boron have contributed greatly to a new field of science with particularly important applications for medicine.

Hawthorne at helm of nanomedicine institute

MU has big plans for tiny particles











 NU_3

3-

University of Missouri Research Reactor













MURR Beamline E with NCT Modifications



Contributions to Background Neutron Kerma in Tissue



Neutron Filtering Crystals

Silicon

Bismuth





Silicon and Bismuth Total Cross Sections (Amorphous)

Si (Natural)





²⁰⁹Bi

Source: OECD-NEA (Janis)





Source: Kim et al. Phys. Med. Bio (2007)



Upgrade to Computational Modeling

Summer 2009, Stuart Slattery, University of Wisconsin





Geometric Projections for Discrete-Ordinates Modeling (Vertical Beamline Translation)



Geometric Projections for Discrete-Ordinates Modeling (Core Axis Rotation)



MURR Beamline Model



Final Beamstop and Irradiation Facility Shielding under Construction by MURR Staff















Activation Interactions Used for Initial MURR Beamline E Neutron Spectrum Measurements

Neutron Interaction	Energy Range of Primary Response	Activation Gamma Energy (keV)	Nominal Foil Mass (mg)
¹⁹⁷ Au (n, γ) Bare Foil	Thermal	411	60
⁵⁵ Mn (n, γ) Bare Foil	Thermal	847	50
¹¹⁵ In (n, γ) Cd Cover	1 eV Resonance	1293,1097, and 416	25
¹⁹⁷ Au (n, γ) Cd Cover	5 eV Resonance	411	60
¹⁸⁶ W (n, γ) Cd Cover	18 eV Resonance	686	60
⁵⁵ Mn (n, γ) Cd Cover	340 eV Resonance	847	50
⁶³ Cu (n, γ) Cd Cover	1 keV Resonance	511 (Positron)	140
¹¹⁵ In (n,n') Boron Sphere	300 keV Threshold	336	4000









Beam Aperture Plate and Activation Foil Holder

INL Foil Holder





Plate assembly fabricated by MURR machine shop staff

Insertion of Aperture Plate





Shield Closure













Single Crystal Filtered Beamline Model Comparison

Integral Parameters



Single Crystal Filtered Beam Thermal Flux

Data Source	Flux@10M	W	% Difference	Uncertainty (1σ)
Laboratory Measurement	8.80E+08	n/cm ² s		6%
BUGLE-80 DORT Model	9.62E+08	n/cm ² s	9.30%	10%
COMBINE 7.1 DORT/MCNP Model	9.20E+08	n/cm ² s	4.55%	4.06%



Foil Reaction Rates – Measured vs Direct Least-Square Fit

<u>Shield</u>	Reaction	<u>A-Priori</u>	Measured	<u>L.S. Fit</u>	Difference (%)
Boron	ln-115 (n,n')	5.63E-19	1.240E-18	1.210E-18	-2.42
Boron	ln-115 (n,n')	5.63E-19	1.150E-18	1.210E-18	5.22
Boron	In-115 (n,n')	5.63E-19	1.260E-18	1.210E-18	-3.97
Boron	In-115 (n,n')	5.63E-19	1.200E-18	1.210E-18	0.83
Cd	Cu-63 (n,g)	2.56E-18	6.930E-18	6.048E-18	-12.73
Cd	Cu-63 (n,g)	2.56E-18	6.770E-18	6.048E-18	-10.67
Cd	Mn-55 (n,g)	6.97E-18	1.430E-17	1.579E-17	10.40
Cd	Mn-55 (n,g)	6.97E-18	1.420E-17	1.579E-17	11.18
Cd	W-186 (n,g)	1.61E-16	4.050E-16	3.900E-16	-3.72
Cd	W-186 (n,g)	1.61E-16	3.940E-16	3.900E-16	-1.03
Cd	W-186 (n,g)	1.61E-16	4.020E-16	3.900E-16	-3.00
Cd	W-186 (n,g)	1.61E-16	3.700E-16	3.900E-16	5.39
Cd	Au-197 (n,g)	4.19E-16	6.540E-16	6.304E-16	-3.62
Cd	Au-197 (n,g)	4.19E-16	6.410E-16	6.304E-16	-1.66
Cd	Au-197 (n,g)	4.19E-16	6.200E-16	6.304E-16	1.67
Cd	Au-197 (n,g)	4.19E-16	6.140E-16	6.304E-16	2.66
Cd	In-115 (n,g)	8.41E-16	1.130E-15	1.141E-15	0.96
Cd	In-115 (n,g)	8.41E-16	1.170E-15	1.141E-15	-2.49
Cd	In-115 (n,g)	8.41E-16	1.120E-15	1.141E-15	1.87
Cd	In-115 (n,g)	8.41E-16	1.130E-15	1.141E-15	0.96
Cd	In-115 (n,g)	8.41E-16	1.170E-15	1.141E-15	-2.49
Cd	In-115 (n,g)	8.41E-16	1.140E-15	1.141E-15	0.08
Bare	Au-197 (n,g)	9.09E-14	8.290E-14	8.377E-14	1.05
Bare	Au-197 (n,g)	9.09E-14	7.910E-14	8.377E-14	5.91
Bare	Au-197 (n,g)	9.09E-14	8.920E-14	8.377E-14	-6.09
Bare	Au-197 (n,g)	9.09E-14	8.370E-14	8.377E-14	0.08
Bare	Mn-55 (n,g)	1.23E-14	1.100E-14	1.131E-14	2.81
Bare	Mn-55 (n,g)	1.23E-14	1.130E-14	1.131E-14	0.08
Bare	Mn-55 (n,g)	1.23E-14	1.190E-14	1.131E-14	-4.97
Bare	Mn-55 (n,g)	1.23E-14	1.130E-14	1.131E-14	0.08









Conclusions/Path Forward

NEUTRON BADIOGRAPHY

POOL

BIOLOGICAL

PROMPT GAMMA NEUTRON ACTIVATION ANALYSIS

•Neutronic performance of the new MURR thermal beamline is in the expected range

•We are proceeding with completion of thermal beamline shielding, interlocks, instrumentation, detailed spectral characterization and dosimetry

•Long-Term Collaborative Research Program:

•Small-animal studies at MURR using thermal beam (Advanced B₁₀ and B₂₀ Compounds, liposome encapsulation). Independent confirmation in collaboration with CNEA. Complementary large-animal studies at Washington State University epithermal facility.



Backup Information



Original Computational Modeling



Unfiltered and Filtered MURR Beamline E Spectra – Discrete-Ordinates Simulation (DORT)





Configuration for Initial Crystal Thickness Scoping Studies







Preliminary Neutronic Performance Results for the Thermal Neutron NCT Research Facility at MURR

	Voided	8 cm Bi	50 cm Si	50 cm Si +
	<u>Beamline</u>	<u>Crystal</u>	<u>Crystal</u>	<u>8 cm Bi</u>
Saturation Activity, Bare	1.31 x 10 ⁻¹²	3.82 x 10 ⁻¹³	2.38 x 10 ⁻¹³	8.67 x 10 ⁻¹⁴
Gold Foil (Bq/atom)	(5%)	(5%)	(5%)	(5%)
Saturation Activity , Cd	4.11 x 10 ⁻¹³	7.49 x 10 ⁻¹⁴	3.64 x 10 ⁻¹⁵	8.21 x 10 ⁻¹⁶
Gold Foil (Bq/atom)	(5%)	(5%)	(5%)	(5%)
Difference in Saturation	8.95 x 10 ⁻¹³	3.07 x 10 ⁻¹³	2.34 x 10 ⁻¹³	8.59 x 10 ⁻¹⁴
Activity (Bq/atom)	(8%)	(5%)	(5%)	(5%)
Measured Thermal Flux	9.80 x 10 ⁹	3.36 x 10 ⁹	2.56 x 10 ⁹	9.40 x 10 ⁸
(n/cm²-s)	(11%)	(8%)	(8%)	(8%)
Calculated Thermal Flux from DORT (n/cm²-s)	9.38 x 10 ⁹	3.81 x 10 ⁹	2.22 x 10 ⁹	9.62 x 10 ⁸
	(10%)	(10%)	(10%)	(10%)
Cadmium Ratio	3.18	5.10	65.3	105.5
	(7%)	(7%)	(7%)	(7%)
<i>Wire saturation activity ratio (Au/Cu)</i>	36.4	28.4	22.4	22.4







Initial Neutron Spectrum Measurement Results– MURR Beamline E



Estimated Dosimetic Parameters $\Phi_{th} = 8.84 \times 10^8 \text{ n/cm}^2\text{-s} (\pm 5.5\%)$ $D_H = 1.37 \text{ cGy/min}$ $K_H = 2.57 \times 10^{-11} \text{ cGy-cm}^2$ $D_N = 1.14 \text{ cGy/min}$ $K_N = 2.15 \times 10^{-11} \text{ cGy-cm}^2$ $D_B = 0.43 \text{ cGy/m/ppm B}$ $D_\gamma = 2.12 \text{ cGy/min (calculated)}$ Spectral Fit Parameters:

*Reduced X*² = 0.29 (*Direct*)

Reduced X² = 0.99 (SAND-II)





Computation of Unfolding Parameters – General Case



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Method for Direct Unfolding of Neutron Spectra

The volume-average activation rate per atom for a foil dosimeter placed in a neutron flux field may be calculated as:

$$R = \int_0^\infty \sigma_f(E) \,\Psi_f(E) \,dE \tag{1}$$

where $\sigma_{f}(E)$ is the microscopic activation cross section of interest for the foil material, as a function of neutron energy and $\psi_{f}(E)$ is the volume-average scalar neutron flux within the foil, again as a function of energy. Equation 1 can also be expressed as:

$$R = \int_0^\infty \sigma_f(E) \left(\frac{\Psi_f(E)}{\Psi(E)}\right) \Psi(E) dE = \int_0^\infty \sigma_f(E) P_f(E) \Psi(E) dE$$
(2)

where $\psi(E)$ is the unperturbed neutron flux that would exist at the measurement location in the absence of the foil and any surrounding spectral modification devices (Cd covers, boron sphere, etc).

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Equation 2 may be written as a summation rather than as an integral by partitioning the range of the energy variable into a number of discrete contiguous energy groups:

$$R = \sum_{j=1}^{NG} a_j \phi_j$$
⁽³⁾

where NG is the total number of energy groups,

$$a_{j} = \frac{\int_{EL_{j}}^{EH_{j}} \sigma_{f}(E) P_{f}(E) \Psi(E) dE}{\int_{EL_{j}}^{EH_{j}} \Psi(E) dE}$$

(A)

and

$$\phi_j = \int_{EL_j}^{EH_j} \Psi(E) \, dE.$$
(5)

where EL_j and EH_j are the lower and upper energy limits of energy group j.



If additional foils are placed in the beam, or if a particular foil exhibits more than one activation response then Equation 3 may be written as a system of equations:

$$R_i = \sum_{j=1}^{NG} a_{ij} \phi_j$$
(6)

where *R_i* is the total activation rate for interaction *i* and *a_{ij}* is the activation constant from Equation 4 for reaction *i* due to neutrons in energy group *j*. There will be a total of NF equations, where NF is the total number of activation responses available.

In practical applications the functions $\sigma_f(E)$, $P_f(E)$, and $\Psi(E)$ are ordinarily not continuous functions. The INL has adopted a standard using 47-group representations of the actual functions, discretized according to the BUGLE-80 neutron energy structure. The integrals in Equations 4 and 5 are therefore actually summations over the finegroup structure within each broad group used for spectral unfolding.



The system of activation equations, Eq. 6, may be written out in matrix form as:

$$\begin{bmatrix} a_{11} & a_{12} & a_{13} \cdots a_{1NG} \\ a_{21} & a_{22} & a_{23} \cdots a_{2NG} \\ a_{31} & a_{32} & a_{33} \cdots a_{3NG} \\ \vdots & \vdots & \vdots & \vdots \\ a_{NF1} & a_{NF2} & a_{NF3} & a_{NFNG} \end{bmatrix} \begin{bmatrix} \phi_1 \\ \phi_2 \\ \phi_3 \\ \vdots \\ \phi_{NG} \end{bmatrix} = \begin{bmatrix} R_1 \\ R_2 \\ R_3 \\ \vdots \\ \phi_{NG} \end{bmatrix}$$
(7)

or, more compactly:

$$[A][\Phi] = [R]$$
(8)



When NF > NG an approximation for the flux vector is sought such that the sum of the squares of the weighted differences between the measured reaction rates and the calculated reaction rates obtained by substituting the desired approximate solution vector into each row of Equation 7 is minimized. That is, we wish to minimize the quantity Δ ,

$$\Delta = \sum_{i=1}^{NF} \frac{\delta_i^2}{u_i^2} \tag{9}$$

where *u_i* is the experimental uncertainty associated with reaction rate *i* and

$$\delta_{i} = \left(R_{i} - (a_{i1}\phi + a_{i2}\phi_{2} \dots + a_{iNG}\phi_{NG}) \right)$$
(10)

To accomplish this, Equation 10 is differentiated successively with respect to each group flux and the result in each case is set to zero. This produces a set of NG equations, one for each differentiation operation. Upon some additional manipulation the equations have the following compact form:

$$[A]^{T}[V][A][\Phi] = [A]^{T}[V][R]$$
(11)

where [V] is an NF x NF diagonal matrix whose elements are the inverse squares of the measurement uncertainties for the NF reaction rates:

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Equation 11 can be expressed more compactly as:

$$[B][\Phi] = [S] \tag{13}$$

where the new matrix $[B] = [A]^T [V][A]$ will be of dimension NG x NG and the new vector [S] will be of length NG. Equation 13 is then solved ito yield the desired flux vector.



Propagation of uncertainties in the unfolding process can be analyzed using a standard approach. In general the measured reaction rates in Equation 11 will each have an associated experimental uncertainty. In addition there will be a component of variance in the unfolded fluxes associated with the nature of the least-squares process itself

An estimate for the variance of the unfolded flux in group j may be expressed as:

$$s_j^2 = \sum_{i=1}^{NF} \left(\frac{\partial \phi_j}{\partial R_i}\right)^2 \left[\delta_i^2 + u_i^2\right]$$
(14)

where δ_i is computed from Equation 10 and u_i is the experimental uncertainty associated with reaction rate i. To obtain the required matrix of derivatives the rows of Equation 11 are differentiated successively with respect to each reaction rate and the results are rearranged and combined to yield:

$$\begin{bmatrix} B \end{bmatrix} \frac{\partial \begin{bmatrix} \Phi \end{bmatrix}}{\partial R_i} = \begin{bmatrix} \text{column i of } \begin{bmatrix} A \end{bmatrix}^T \begin{bmatrix} V \end{bmatrix}$$
(15)

Equation 15 describes NF systems of NG simultaneous equations that can be solved to obtain all of the derivatives necessary to evaluate Equation 14 for the uncertainties associated with the group fluxes.

